

Chapter 7: Equilibrium

How to reach equilibrium

- 1) Closed system - if open, matter exchanged with surroundings hence cannot react
- 2) Some of the products/reactants could escape, hence no equilibrium
- 3) No observable change in concentration of products or reactants
- 4) Rate of forwards reaction = rate of backwards reaction

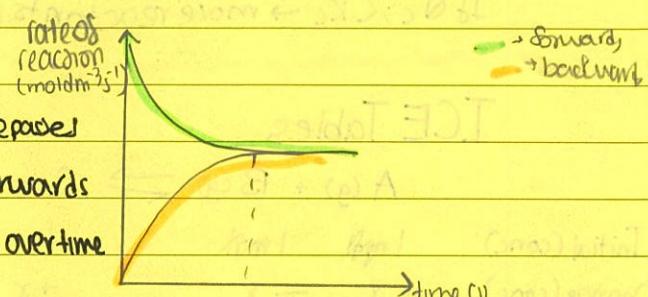
Dynamic Equilibrium: A point at which the rates of the forwards and backwards reactions are equal and there is no observable change in the concentration of the reactants or products.

Dynamic: because forwards and backwards reactions actively occur

At equilibrium, there is no change in macroscopic properties, as these properties vary with reactant and product concentration and they do not change at equilibrium.

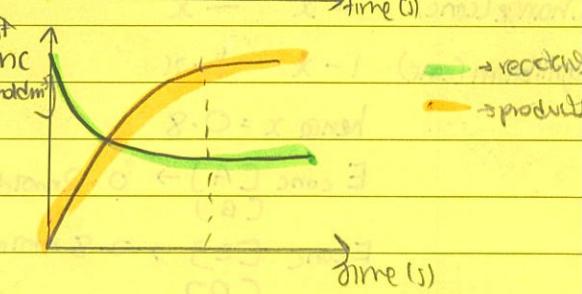
Microscopic Level [Rate]

- forwards reaction starts fast but rate decreases over time, due to less reactants being available as time passes
- Backwards starts at 0 as the products of the forwards have not been made yet, more of them available over time, hence rate increases
- When R of forwards and backwards are equal, the equilibrium reached



[Concentration]

- Concentration of reactants decreases over time because they are being used in forwards
- Rate of decrease gets lower because more lower rate
- When conc of either reactants or products stay constant, the rates must be equal



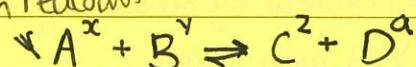
Equilibrium Constant [K_c] and Reaction Quotient

K_c (constant)

- fixed value for a reaction for a certain temp [T]
- Not influenced by initial concentration
- increases over time as ↑ [products] and ↓ [reactants]

$K_c > 1$, products more than reactants

$K_c = 1$: Same same



$K_c < 1$, reactants more than products

$$K_c = \frac{[\text{C}]^z [\text{D}]^a}{[\text{A}]^x [\text{B}]^y} \rightarrow \text{but conc must be at equilibrium}$$

If $K_c < 1$, forwards reaction favoured (backwards)

If $K_c = 1$, same number of reactants as products

If $K_c > 1$, backwards reaction favoured

reciprocal of K_c is K_c for backward reaction

K_c trends

- If the forwards reaction is endothermic, K_c increases as temperature does
- If it is exo, K_c decreases as temperature does

Reaction Quotient

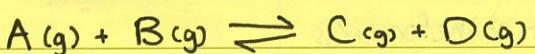
- A measure of the relative amounts of products and reactants present during a reaction at a particular point

NOTE: For homogenous reactions (all prods + reactants same state), include everything in the rate expression. For heterogeneous (varied states), only include gases

If $Q_c > K_c \rightarrow$ more products, hence backwards favoured

If $Q_c < K_c \rightarrow$ more reactants, hence forwards favoured

ICE Tables



information

- at equilibrium there are 0.2 mol dm^{-3} of A

Initial (conc) 1 mol 1 mol

$+x$ $+x$

$$1 - 0.2 = 0.8$$

Change (conc) $-x$ $-x$

$+x$ $+x$

equilibrium (conc) $1 - x$ $1 - x$

x x

$$\text{hence } x = 0.8$$

$$\text{E conc } [A] \rightarrow 0.2 \text{ mol dm}^{-3}$$

$$\text{E conc } [B] \rightarrow 0.8 \text{ mol dm}^{-3}$$

$$\therefore K_c = \frac{[C][D]}{[A][B]} = \frac{[0.8][0.8]}{[0.2][0.2]} = \frac{0.064}{0.04}$$

K_c tips

- If multiple elementary steps, multiply all their K_c s together to find K_c for the overall reaction
- Reciprocal of K_c is the K_c of reverse reaction

$$K_c = \underline{\underline{16}}$$

Factors affecting Equilibrium

1) Concentration



$$K_c = \frac{[C][D]}{[A][B]}$$

- If $[A] \uparrow$, the reaction counteracts the change by favouring the products, using up the added concentration and creating more products
- If $[A] \downarrow$ the reaction counteracts the change by favouring the reactants, making more A to replenish what had been lost

OR

- Look at K_c , is $[A] \uparrow$, $K_c \downarrow$, and the lower it is, the more the forwards reaction is favoured
- Is $[C] \uparrow$, $K_c \uparrow$, the higher it, the more the backwards reaction is favoured

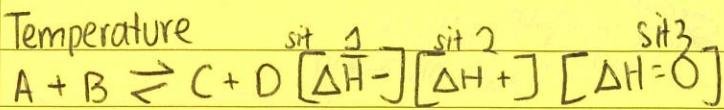
Le Chatlier's Principle: If a dynamic equilibrium is disturbed by a change in condition, the reaction responds to counteract the change

3

Date _____

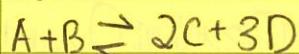
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2) Temperature



- In Situation 1, increasing the temperature favours the backwards reaction as that reaction is endothermic and absorbs the added heat, counteracting the change in temperature
- In situation 2, increasing the temperature favours the forwards reaction as it is exothermic and absorbs the heat added, counteracting the change
- In sit 3, change in temperature does not affect equilibrium

3) Pressure



- Increasing pressure shifts the equilibrium ^{to the} side that has the least gas molecules [favouring the reaction that produces it] because with fewer gas molecules, less force is applied on nearby surfaces, counteracting the change by reducing pressure
- If both sides have the same number of gas molecules, then changes in pressure do not affect the position of equilibrium

Terms to know and things about them

- 1) % yield - $\frac{\text{real}}{\text{theoretical}}$ → if this needs to be increased, exclude concentration
- 2) Shift to right / left → whatever is on that side is produced to a greater extent
- 3) ↑ Volume → ↓ pressure, vice versa

NOTE: A catalyst only decreases E_a , it does not affect equilibrium or K_c but speeds up the forwards + backwards reactions to equal extents

Condition Change

↑ P

↑ T

↑ [A]

System Change

↓ P

↓ T

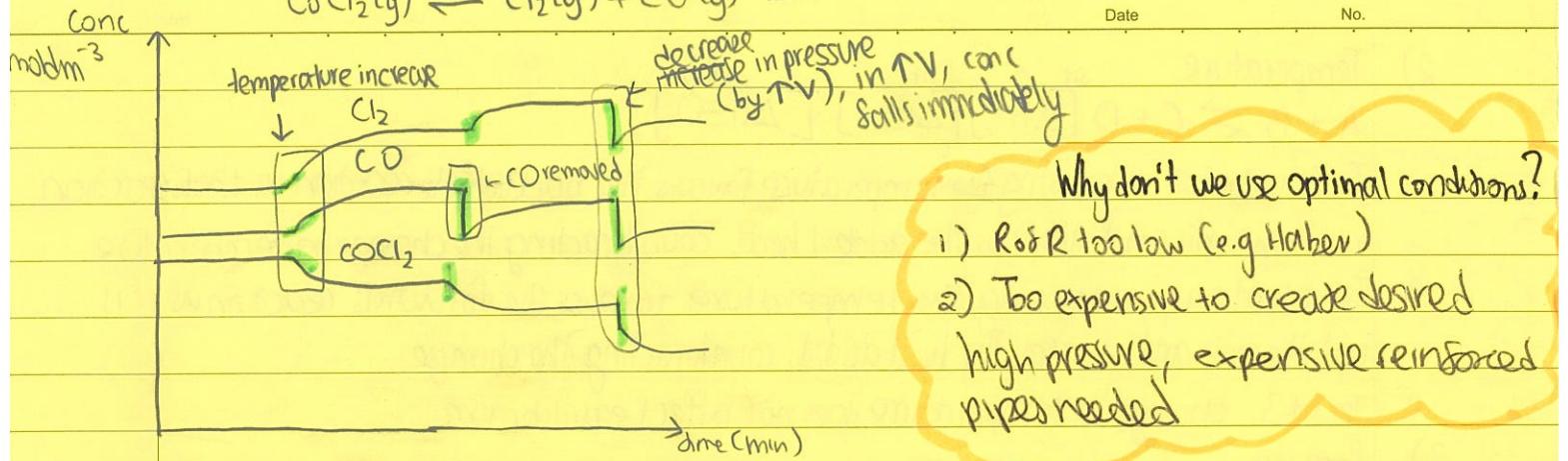
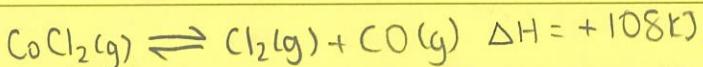
↓ [A]

Explanation

equilibrium shifts to side with least gas molecules, reducing pressure by reducing the number of particles colliding with surface

equilibrium shifts to products of endothermic as endothermic takes in heat released

Reaction uses up added A and hence produces more of the other side, shifting equilibrium there



Note that when $K_c \rightarrow 0$, [Reactant]_{initial} is the same as [Reactant]_{equilibrium}

ΔG and Equilibrium

Recap

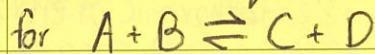
- $\Delta G = \Delta H - T\Delta S$
 - $\Delta G = \text{G}_{\text{prod}} - \text{G}_{\text{reactants}}$
convert to $0.00831 \text{ kJ mol}^{-1} \text{ K}^{-1}$
- $$\Delta G = -RT \ln K_c$$

If ΔG of forward reaction is $-ve$, forward reaction favoured as reverse must be $+ve$. Equilibrium is when ΔG is minimised and ΔS is maximised, hence when $\Delta G = 0$

Summary of relationships

ΔG	K_c	$\ln K_c$	Mixture
-ve	$K_c > 1$	$\ln K_c = +ve$	more product
+ve	$K_c < 1$	$\ln K_c = -ve$	more reactant
0	$K_c = 1$	$\ln K_c = 0$	Equal quantities

Kinetics and Equilibrium



$$\begin{aligned} \text{Rate (forward)} &= k[A][B] \\ \text{Rate (backward)} &= k'[C][D] \end{aligned} \quad \left. \begin{array}{l} \text{assuming overall Order=2} \\ \text{assuming overall Order=2} \end{array} \right.$$

at equil

$$k[A][B] = k'[C][D]$$

$$\frac{k}{k'} = \frac{[C][D]}{[A][B]} = K_c$$

$\frac{K}{K'} = k_c \rightarrow$ This explains why a catalyst does not affect K_c , as k and k' are multiplied by the same factor that is canceled out ($k_c = \frac{k(G)}{k'(G)}$)

Furthermore, conc does not affect K_c as it does not affect k or R' .

Additionally, temperature affects K_c because of $K = F A e^{-\frac{E_a}{RT}}$. Hence each K increases with T , but each constant is affected differentially than the other. For an endo, $K_c \uparrow$ because E_a (forward) $>$ E_a (backward), $\therefore k \uparrow$ than leading to increases faster than $k' \rightarrow \uparrow K_c$

